

# Endogenous Choice Between Ultimatum and Dictator Games: Experimental Evidence

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## Ultimatum Game

**Player 1** (proposer / sender, she) offers  $x \in [0, 1]$ , **player 2** (responder / receiver, he) either accepts or rejects. If player 2 accepts, then

- ▶ player 1 gets  $1 - x$ , player 2 gets  $x$

If player 2 rejects, then

- ▶ player 1 gets  $0$ , player 2 gets  $0$

# Motivation for Studying the Ultimatum Game

1. Ultimatum game helps to **measure** some characteristics, like
  - ▶ inequality aversion (Fehr & Schmidt 1999; Bolton & Ockenfels 2000),
  - ▶ fairness (Kahneman, Knetsch, and Thaler 1986; Nowak, Page, and Sigmund 2000),
  - ▶ negative reciprocity (Falk & Fischbacher 2006),
  - ▶ anger & frustration (Aina, Battigalli, and Gamba 2018),etc.

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  - ▶ anger & frustration (Aina, Battigalli, and Gamba 2018),etc. *How to measure?* That is the question!  $\Rightarrow$  We need to understand what is driving the behavior
2. Ultimatum game is a very simple **bargaining** protocol. Understanding the behavior in ultimatum game helps to understand the behavior in more complex and more realistic bargaining situations.

*We do not discuss whether ultimatum bargaining games can adequately represent real bargaining situations. We are mainly interested in ultimatum bargaining behavior because **it allows one to analyze in detail certain aspects of bargaining behavior***

Güth et al 1982

## SPNE

Offer minimum (positive) amount, accept any positive offer

## Literature

Offer: 40-50%. Minimum acceptable offer (MAO): 20%-40%.

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- ▶ Taking actual distribution of MAO into account, offering 40-50% is almost optimal for a payoff maximizing proposer (Camerer 2003)
- ▶ “Irrational” rejection cannot be explained by efficiency concerns: *rejections create inefficiency* ← main mystery

Problem: negotiation failure

This is a problem both from the **descriptive** perspective (we don't know why this is happening) and from the **normative** perspective (rejection creates inefficient outcome)

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## This paper

We propose and show experimentally a novel motive for rejection: *preference for influence*.

# Outline

Introduction

What We Have Done

- Experimental Design

- Data

- Results

- Conclusion

What We Are Planning To Do

- Experimental Design

# Idea

## Motivation (original)

Propose a **simple** modification of the ultimatum game such that

- ▶ it **decreases** the rate of negotiation failures
- ▶ both players would be **willing** to switch to this modification

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## Idea

Allow player 2 to choose between the dictator game (by committing to accept any offer) and the ultimatum game.

- ▶ we call this modification the **ultimatum game with the commitment option**

# Experimental Design

# Experimental Design

Participants are randomly paired with each other.

Your role

You are player 1

Next

Your role

You are player 2

Next

# Experimental Design

Participants are randomly paired with each other.

Your role

You are player 1

Next

Your role

You are player 2

Next

Start game 1

Start game 1

# Game 1 = Ultimatum Game. Version 1

## Game 1

You are player 1

Choose how many tokens you want to offer to player 2:

- Player 2 gets 0 tokens (you keep 100 tokens)
- Player 2 gets 10 tokens (you keep 90 tokens)
- Player 2 gets 20 tokens (you keep 80 tokens)
- Player 2 gets 30 tokens (you keep 70 tokens)
- Player 2 gets 40 tokens (you keep 60 tokens)
- Player 2 gets 50 tokens (you keep 50 tokens)
- Player 2 gets 60 tokens (you keep 40 tokens)
- Player 2 gets 70 tokens (you keep 30 tokens)
- Player 2 gets 80 tokens (you keep 20 tokens)
- Player 2 gets 90 tokens (you keep 10 tokens)
- Player 2 gets 100 tokens (you keep 0 tokens)

## Game 1

You are player 2

While player 1 is deciding on the offer on how to divide 100 tokens, please choose below how you would respond to each of the possible offers. Remember that when we show you at the end of the experiment how many tokens player 1 actually offered to you, you will not have a chance to change your response.

You get 0 tokens (player 1 keeps 100 tokens):

- Accept  Reject

You get 10 tokens (player 1 keeps 90 tokens):

- Accept  Reject

You get 20 tokens (player 1 keeps 80 tokens):

- Accept  Reject

You get 30 tokens (player 1 keeps 70 tokens):

- Accept  Reject

You get 40 tokens (player 1 keeps 60 tokens):

- Accept  Reject

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- Accept  Reject

You get 60 tokens (player 1 keeps 40 tokens):

- Accept  Reject

You get 70 tokens (player 1 keeps 30 tokens):

- Accept  Reject

You get 80 tokens (player 1 keeps 20 tokens):

- Accept  Reject

You get 90 tokens (player 1 keeps 10 tokens):

- Accept  Reject

You get 100 tokens (player 1 keeps 0 tokens):

- Accept  Reject

# Game 1 = Ultimatum Game. Version 2

## Game 1

You are player 1

You have 100 tokens. Choose how many tokens you want to offer to player 2:

Submit

## Game 1

You are player 1

You have 100 tokens. Choose how many tokens you want to offer to player 2:

Submit

You chose to offer 20 tokens to player 2. If he accepts your offer, you will get 80 tokens. If he rejects your offer, you will get 0 tokens.

Change the choice

Submit

## Game 1

You are player 2

While player 1 is deciding on the offer on how to divide 100 tokens, please indicate the minimum number of tokens that you would accept from player 1. If player 1 offers you **the same or more**, the offer will be **accepted** automatically; if player 1 offers you **less**, the offer will be **rejected** automatically and you both get 0 tokens. Remember that when we show you at the end of the experiment how many tokens player 1 actually offered to you, you will not have a chance to change your response.

Choose the minimum offer that you would accept:

Submit

## Game 1

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While player 1 is deciding on the offer on how to divide 100 tokens, please indicate the minimum number of tokens that you would accept from player 1. If player 1 offers you **the same or more**, the offer will be **accepted** automatically; if player 1 offers you **less**, the offer will be **rejected** automatically and you both get 0 tokens. Remember that when we show you at the end of the experiment how many tokens player 1 actually offered to you, you will not have a chance to change your response.

Choose the minimum offer that you would accept:

Submit

You chose 20 tokens as the minimum offer you would accept. If player 1 offers you  $X >= 20$  tokens, you will get X tokens. If player 1 offers you  $X < 20$  tokens, you will get 0 tokens.

Change the choice

Submit

Participants are randomly paired with each other, keeping the same roles.

Start game 2

Start game 2

# Game 2 = Dictator Game. Version 1.

Participants are randomly paired with each other, keeping the same roles.

Start game 2

Start game 2

## Game 2

You are player 1

Choose how many tokens you want to offer to player 2:

- Player 2 gets 0 tokens (you keep 100 tokens)
- Player 2 gets 10 tokens (you keep 90 tokens)
- Player 2 gets 20 tokens (you keep 80 tokens)
- Player 2 gets 30 tokens (you keep 70 tokens)
- Player 2 gets 40 tokens (you keep 60 tokens)
- Player 2 gets 50 tokens (you keep 50 tokens)
- Player 2 gets 60 tokens (you keep 40 tokens)
- Player 2 gets 70 tokens (you keep 30 tokens)
- Player 2 gets 80 tokens (you keep 20 tokens)
- Player 2 gets 90 tokens (you keep 10 tokens)
- Player 2 gets 100 tokens (you keep 0 tokens)

Submit

## Game 2

You are player 2

You do not make any choice in this game. Any offer player 1 made is accepted automatically.

Next

## Game 2 = Dictator Game. Version 2.

Participants are randomly paired with each other, keeping the same roles.

Start game 2

Start game 2

### Game 2

You are player 1

You have 100 tokens. Choose how many tokens you want to offer to player 2:

Submit

### Game 2

You are player 1

You have 100 tokens. Choose h

30

Submit

You chose to offer 30 tokens to player 2. You will get 70 tokens in this game.

Change the choice

Submit

### Game 2

You are player 2

You do not make any choice in this game. Any offer player 1 made is accepted automatically.

Next

## Game 3 = Ultimatum Game with the Commitment Option

Participants are randomly paired with each other, keeping the same roles.

Start game 3

Start game 3

# Game 3

You are player 1

While player 2 is deciding on which game to play, please choose how many tokens to give to player 2 for each of two games. Remember that when we show you at the end of the experiment the game player 2 actually chose, you will not have a chance to change your response.

---

Choose how many tokens you want to offer to player 2 if player 2 chooses game 1:

- Player 2 gets 0 tokens (you keep 100 tokens)
- Player 2 gets 10 tokens (you keep 90 tokens)
- Player 2 gets 20 tokens (you keep 80 tokens)
- Player 2 gets 30 tokens (you keep 70 tokens)
- Player 2 gets 40 tokens (you keep 60 tokens)
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- Player 2 gets 70 tokens (you keep 30 tokens)
- Player 2 gets 80 tokens (you keep 20 tokens)
- Player 2 gets 90 tokens (you keep 10 tokens)
- Player 2 gets 100 tokens (you keep 0 tokens)

Choose how many tokens you want to offer to player 2 if player 2 chooses game 2:

- Player 2 gets 0 tokens (you keep 100 tokens)
- Player 2 gets 10 tokens (you keep 90 tokens)
- Player 2 gets 20 tokens (you keep 80 tokens)
- Player 2 gets 30 tokens (you keep 70 tokens)
- Player 2 gets 40 tokens (you keep 60 tokens)
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# Game 3

You are player 1

While player 2 is deciding on which game to play, please choose how many tokens to give to player 2 for each of two games. Remember that when we show you at the end of the experiment the game player 2 actually chose, you will not have a chance to change your response.

You have 100 tokens. Choose how many tokens you want to offer to player 2 if player 2 chooses game 1:

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## Game 3

You are player 1

While player 2 is deciding on w  
Remember that when we show  
change your response.

You have 100 tokens. Choose

You have 100 tokens. Choose how many tokens you want to offer to player 2 if player 2 chooses game 2:

×

You chose to offer 40 and 10 tokens in game 3. If player 2 chooses game 1 and accepts 40 tokens, you will get 60 tokens. If player 2 chooses game 1 and rejects 40 tokens, you will get 0 tokens. If player 2 chooses game 2, you will get 90 tokens.

[Change the choice](#) [Submit](#)

## Game 3

You are player 2

Choose which game to play:

Game 1  Game 2

Submit

### Game 3

You are player 2

You chose game 1.

While Player 1 is deciding on the offer on how to divide 100 tokens, please choose below how you would respond to each of the possible offers. Remember that when we show you at the end of the experiment how many tokens player 1 actually offered to you, you will not have a chance to change your response.

You get 0 tokens (player 1 keeps 100 tokens):

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You get 90 tokens (player 1 keeps 10 tokens):

Accept  Reject

You get 100 tokens (player 1 keeps 0 tokens):

Accept  Reject

Submit

## Game 3

You are player 2

You chose game 2. This means any offer player 1 made is accepted automatically.

Go to results

## Game 3

You are player 2

Choose which game to play:

Game 1  Game 2

Submit

### Game 3

You are player 2

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While player 1 is deciding on how to divide 100 tokens, please indicate the minimum number of tokens that you would accept from player 1. If player 1 offers you **the same or more**, the offer will be **accepted** automatically; if player 1 offers you **less**, the offer will be **rejected** automatically and you both get 0 tokens. Remember that when we show you at the end of the experiment how many tokens player 1 actually offered to you, you will not have a chance to change your response.

Choose the minimum offer that you would accept:

Submit

### Game 3

You are player 2

You chose game 1.

While player 1 is deciding on how to divide 100 tokens, please indicate the minimum number of tokens that you would accept from player 1. If player 1 offers you **the same or more**, the offer will be **accepted** automatically; if player 1 offers you **less**, the offer will be **rejected** automatically and you both get 0 tokens. Remember that when we show you at the end of the experiment how many tokens player 1 actually offered to you, you will not have a chance to change your response.

Choose the minimum offer that you would accept:

Submit

10

You chose 10 tokens as the minimum offer you would accept. If player 1 offers you  $X \geq 10$  tokens, you will get  $X$  tokens. If player 1 offers you  $X < 10$  tokens, you will get 0 tokens.

Change the choice Submit

## Game 3

You are player 2

You chose game 2. This means any offer player 1 made is accepted automatically.

Go to results

# Experimental Design: Main Experiment

1. Role assignment
2. Ultimatum game
3. Dictator game
4. Ultimatum Game with the Commitment Option
5. Participants observe their payoffs (we pay for one randomly chosen game)

## Results

You were player 1

Game 1:

Amount offered: 30  
The offer was rejected  
Your payoff in game 1: 0

Game 2:

Amount offered: 20  
Your payoff in game 2: 80

Game 3:

Game chosen: game 2  
Amount offered: 30  
Your payoff in game 3: 70  
Game chosen for the payment: game 3  
Your final payment: \$19

Start the survey

## Results

You were player 2

Game 1:

Amount offered: 30  
The offer was rejected  
Your payoff in game 1: 0

Game 2:

Amount offered: 20  
Your payoff in game 2: 20

Game 3:

Game chosen: game 2  
Amount offered: 30  
Your payoff in game 3: 30  
Game chosen for the payment: game 2  
Your final payment: \$9

Start the survey

## Experimental Design: Survey

1. Hypothetical questions: how would you behave had your role been different
2. Opinion questions (agree / disagree questions)
3. Risk aversion
4. Prisoner's dilemma
5. (Trust game — only in version 2)
6. Questionnaire

## Data

session number	version	number of subjects	pool
1	1	8	university students in Russia
2	1	6	university students in Russia
3	1	22-5*	employees in accounting and financial departments of a firm in Russia
4	1	16	university students in Russia
5	2	16-1*	students in University of South Carolina

\*: 5 subjects in session 3 were clearly confused, 1 subject in session 5 made too many mistakes in the quiz

Total number of subjects =  $8 + 6 + (22-5) + 16 + (16-1) = \boxed{62}$

Average payment:

- ▶ for sessions 1-4: 981 RUB  $\approx$  \$14.5
- ▶ for session 5: \$9

## Hypothesis 0

The *ultimatum game with the commitment option* decreases the rate of negotiation failures compare to the *ultimatum game*.

▶ direct test

Three channels through which the rate of negotiation failure can change:

1. Player 2 chooses the dictator game  $\Rightarrow$  negotiation succeeds automatically
2. Player 1 offers more in the ultimatum game when it is player 2's choice
3. Player 2 accepts more offers in the ultimatum game if it is his choice

## Hypothesis 1: Dictator game effect

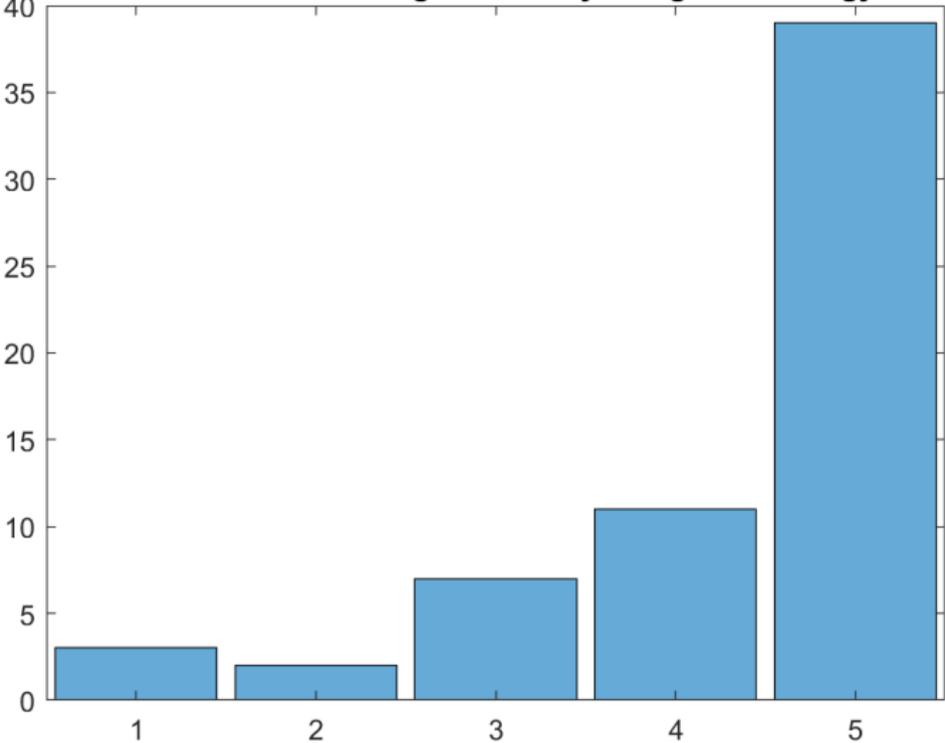
There are people who chooses a positive minimum acceptable offer in the *ultimatum game* and the dictator game in the *ultimatum game with the commitment option*.

Result: ✗

role	number of subjects who chose game 1	number of subjects who chose game 2
player 1	24	7
player 2	30	1

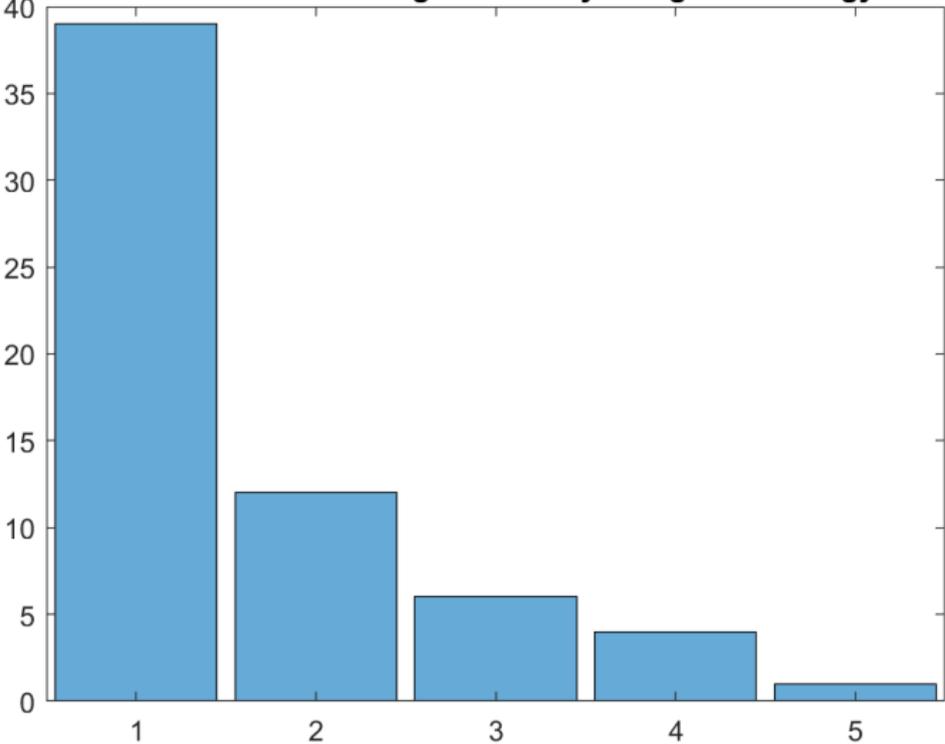
# Game Choice

**Player 2 should choose game 1 because he would receive a higher offer by using this strategy.**



# Game Choice

**Player 2 should choose game 2 because he would receive a higher offer by using this strategy.**



# Game Choice

## Summary

Player 2 chooses game 1 because he expects to get a higher payoff that way

⇒ no “dictator game effect” (hypothesis 1)

## Hypothesis 2: Proposer effect

On average, player 1 offers **less** in the *ultimatum game* than in the *ultimatum game with the commitment option*, conditional on player 2 choosing the ultimatum game.

**Result:** ✗ The offer is on average the same

role	number of subjects who offered the <b>same</b> in games 1 and 3.1	number of subjects whose offers <b>differ</b> in games 1 and 3.1
player 1	27	4
player 2	24	7

### Hypothesis 3: Responder effect

On average, player 2's minimum acceptable offer (MAO) is **lower** in the *ultimatum game with the commitment option*, conditional on choosing the ultimatum game.

role	number of subjects who chose the <b>same</b> MAO in games 1 and 3.1	number of subjects who chose <b>different</b> MAOs in games 1 and 3.1*
player 1	22	9
player 2	19	12

\*: MAO = 0 if game 2 is chosen

*min offer in game 1* = MAO indicated by player 2 in game 1;

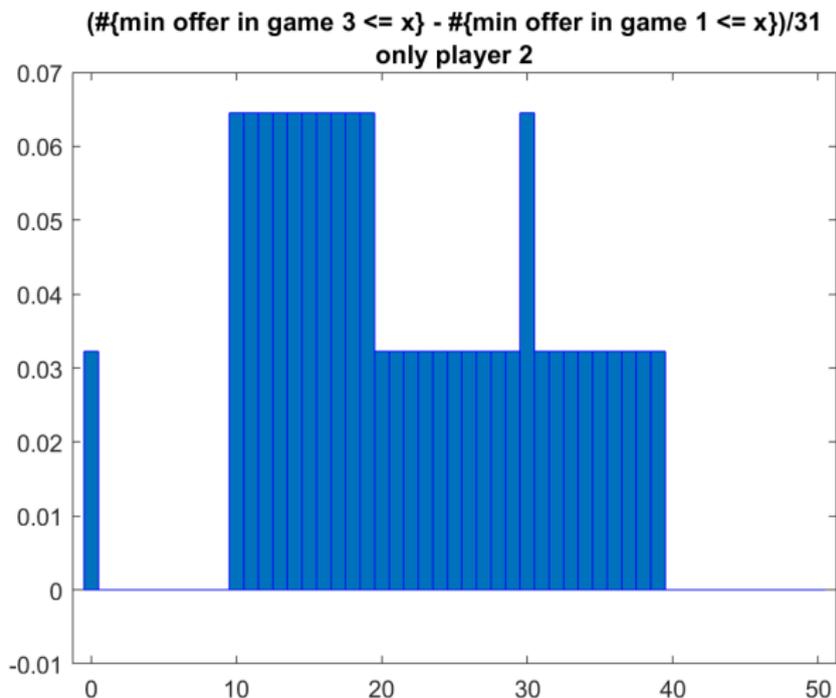
*min offer in game 3* = MAO indicated by player 2 in game 3 if he chose game 1 and 0 if he chose game 2.

Then  $\frac{\sum_{\text{subjects with player 2 role}} \{\text{min offer in game } k \leq x\}}{31 = \# \text{ of subjects with player 2 role}}$  is the empirical **probability of offer acceptance** in game  $k$ ,  $k = 1, 3$ , if the offer is  $x$ .

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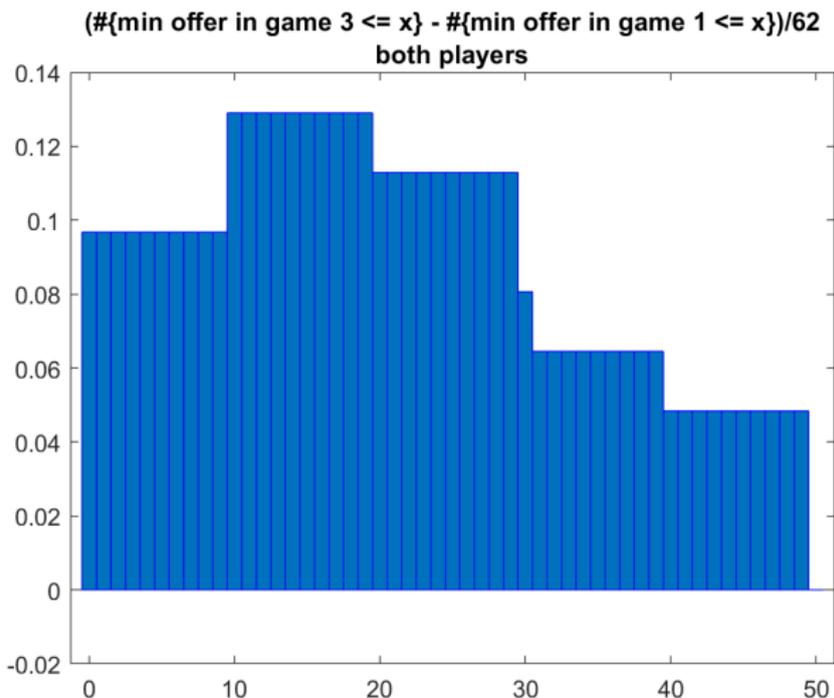


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Then  $\frac{\sum_{\text{subjects with player 2 role}} \{\text{min offer in game } k \leq x\}}{62 = \text{total \# of subjects}}$

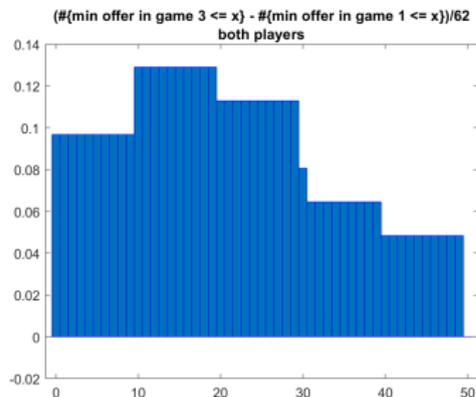
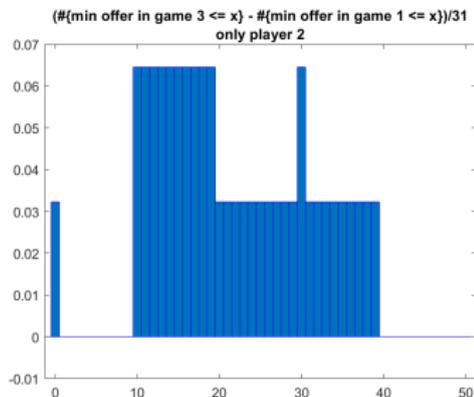
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### Hypothesis 3: Responder effect

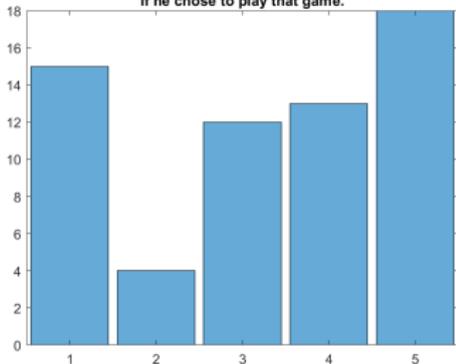
On average, player 2's minimum acceptance payoff is **lower** in the *ultimatum game with the commitment option*, conditional on choosing the ultimatum game.

Result: ✓

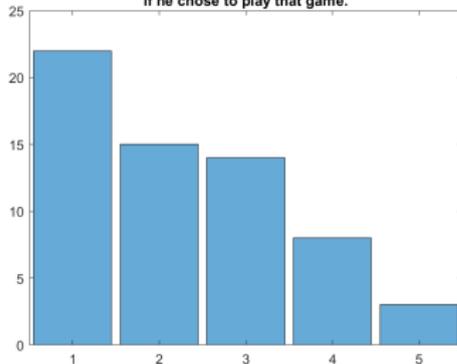


# Hypothesis 3: Responder effect

**Player 2 should be more agreeable (accept more offers) in game 1 if he chose to play that game.**



**Player 2 should be less agreeable (accept less offers) in game 1 if he chose to play that game.**



### Hypothesis 3: Responder effect

MAO	=	20.681	-4.5323	×indicator_for_game_3
<i>st.error:</i>		(5.9606)	(3.2899)	
<i>p-value:</i>		[0.0007]	[0.1710]	
			-1.5621	×indicator_for_player_1
			(3.4214)	
			[0.6488]	
			+	risk measures
			+	cooperation rate in PD

## Conclusion

Pilot data provide some evidence in favor

### Hypothesis

Due to *preference for influence, for "making a difference"*, the Responder rejects because that way he (thinks he) makes a **higher influence on the outcome**

- ▶ player 2 accepts more after choosing the ultimatum game himself because he already partly satisfied his preference for influence

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Examples of *preference for influence* in other environments:

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Examples of *preference for influence* in other environments:

- ▶ Alice bought product 1 by Bob's recommendation. She also bought product 2 by searching through options herself. Later she finds out that one of the products has some minor easy-fixed issue covered by its insurance. She will less likely use the insurance if it is product 2 because she chose this product *herself*.

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- ▶ Unpopular reforms raise less protests when they are implemented right *after* an election. [video YT file](#)

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1. We cannot differentiate between **two explanations** for lowering MAO in game 3:
  - 1.1 preference for **influence**
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2. Although offers stay approximately the same, that does not mean that it is common knowledge among players.  $\Rightarrow$  player 2 might think that the distribution of offers is different in games 1 and 3.1  $\Rightarrow$  games 1 and 3.1 are fundamentally **different** for him.

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3. Some players **raise** MAO in game 3. Possible explanation: *Player 2 “warned” player 1  $\Rightarrow$  he expects to receive a higher offer.*

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3. Some players **raise** MAO in game 3. Possible explanation:  
*Player 2 "warned" player 1  $\Rightarrow$  he expects to receive a higher offer.*

### Bottom line

We want a design where player 2 faces the **same** game in treatment and control rounds.

## Experimental Design

Split participants into groups of 4. In each group the roles are **Player 1A**, **Player 1B**, **Player 2C**, **Player 2D**.

- Stage 1.** Player 1A and Player 1B simultaneously choose how much to propose. *This information remains hidden during the whole experiment until the payoffs are shown at the end.*
- Stage 2.** Computer randomly chooses C or D. All 4 players observe this choice. WLOG, suppose the computer chose **C**.
- Stage 3.** Player 2**C** chooses A or B. All 4 players observe this choice. WLOG, suppose the he chose **A**.
- Stage 4.** Player 2C and Player 2D simultaneously choose the minimum acceptance offer.

Payoff is determined based on the ultimatum game rules in the pairs Player 1**A** / Player 2**C** and Player 1B / Player 2D.

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- Stage 2.** Computer randomly chooses C or D. All 4 players observe this choice. WLOG, suppose the computer chose **C**.
- Stage 3.** Player 2**C** chooses A or B. All 4 players observe this choice. WLOG, suppose the he chose **A**.
- Stage 4.** Player 2C and Player 2D simultaneously choose the minimum acceptance offer.

Payoff is determined based on the ultimatum game rules in the pairs Player 1**A** / Player 2**C** and Player 1B / Player 2D.

## Hypothesis

Player 2**C** systematically chooses a lower minimum acceptance offer than Player 2D.

## Direct Test of Hypothesis 0

agree	=	0.8991	+0.0062	×indicator_for_game_3
st.error:		(0.0096)	(0.0136)	
p-value:		[0.0000]	[0.6452]	

- ▶  $\text{agree}_i = \mathbf{1}$  (pair  $i$  agrees), for all possible pairs.
- ▶ The roles are kept the same as they were during the experiment.

agree	=	0.8287	0.0304	×indicator_for_game_3
st.error:		(0.0059)	(0.0083)	
p-value:		[0.0000]	[0.0003]	

- ▶  $\text{agree}_i = \mathbf{1}$  (pair  $i$  agrees), for all possible pairs.
- ▶ Both actual and hypothetical responses are counted.